

The Type-I and Type-II Errors in Business Statistics

		Given the Null Hypothesis Is	
		True	False
Your Decision Based On a Random Sample	Reject	Type I Error	Correct Decision
	Do Not Reject	Correct Decision	Type II Error

Two Types of Errors in Decision Making

As indicated in the above matrix a **Type-I error** occurs when, based on your data, you reject the null hypothesis when in fact it is true. The probability of a type-I error is the level of significance of the test of hypothesis and is denoted by α .

Type-I error is often called **the producer's risk** that consumers reject a good product/service indicated by the null hypothesis. That is, a producer introduces a good product, in doing so, he/she take a risk that consumer will reject it.

A **type II error** occurs when you do not reject the null hypothesis when it is in fact false. The probability of a type-II error is denoted by β .

Type-II error is often called **the consumer's risk** for not rejecting possibly a worthless product or service indicated by the null hypothesis.

The foundation and logic of Statistics (i.e. Inferential Statistics):

Consider the test of hypothesis with Null H_0 , versus a two-side alternative H_a , since the sample is random (i.e., unbiased) to get such a large (absolute) computed statistics under the null hypothesis is very rare (say $\alpha= 5\%$), however we got such a large statistics

surprisingly; the question is what is wrong here? Well, the only possibility is that your null hypothesis is wrong. That is why we reject the null hypothesis.

Since there is a duality between the test of hypothesis and estimation with confidence, the above logic is applicable to the estimation and construction of confidence interval.

- Confusion! Which one, Non-Rejection Region OR Non-Rejection Interval?

- Give two important applications of descriptive statistics, such as Histogram?

Three ways of doing statistical hypotheses:

1. Based on significance level (say $\alpha = 5\%$),
2. Based on P-value,
3. The hybrid of both

- What is the use of Standardize Z?

Among other useful questions, for example you may ask why we are interested in estimating the population's expected value μ and its Standard Deviation σ ? Here are some applicable reasons. Business Statistics must provide justifiable answers to the following concerns for every consumer and producer:

1. What is your (or your customers) **Expectation** of the product/service you buy (or that you sell)? That is, what is a good estimate for μ ?
2. Given the information about your (or your customers) expectation, what is the **Quality** of the product/service you buy (or that you sell)? That is, what is a good estimate for σ ?
3. Given the information about what you buy (or your sell) expectation, and the quality of the product/service, how does the product/service **compare** with other existing similar types? That is, comparing several μ s' and several σ s'.
4. Finding any (linear) relationship for prediction purposes. For example, sales (S) as function of advertising rate (A) for a specific budget and duration of campaign (T). That is, estimation of $S = mA + b$.